

# Assignment of Dynamic Transmission Range Based on Estimation of Vehicle Density

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# Motivation

- Network topologies of VANET vary widely over time and space
  - Connectivity map
- In order to maintain a full connectivity for any vehicle, i.e., any vehicle can reach any other vehicle in a group in the context of V2V communication, ...
  - The definition of the group is not clear yet

# Motivation

- A group of vehicles?
  - On a highway without congestion:
  - On a highway with congestion:
  - Around an intersection in a city:
  - Maybe more to come later:
- Radio transmission range
  - Fixed: free-flow, congestion, intersection?
  - Dynamic: ???

# Objectives

- Dynamic control of the radio transmission power
  - Max. transmission power for sparse networks
  - Min. or reduced power for dense networks
  - Constraints: full connectivity for each node
  - Pros and cons?
- How to know network conditions (dense or sparse)?

# Objectives

- Without having a clear definition of the “group”
  - One surest way to figure out the network condition is to ask vehicles around until a consensus is reached
    - What to ask: signal strengths, how many immediate neighbors?, etc, ..
    - How many vehicles need to be probed?
    - Each one does the same job?
    - How frequently?
    - Maybe a good research problem, but ...

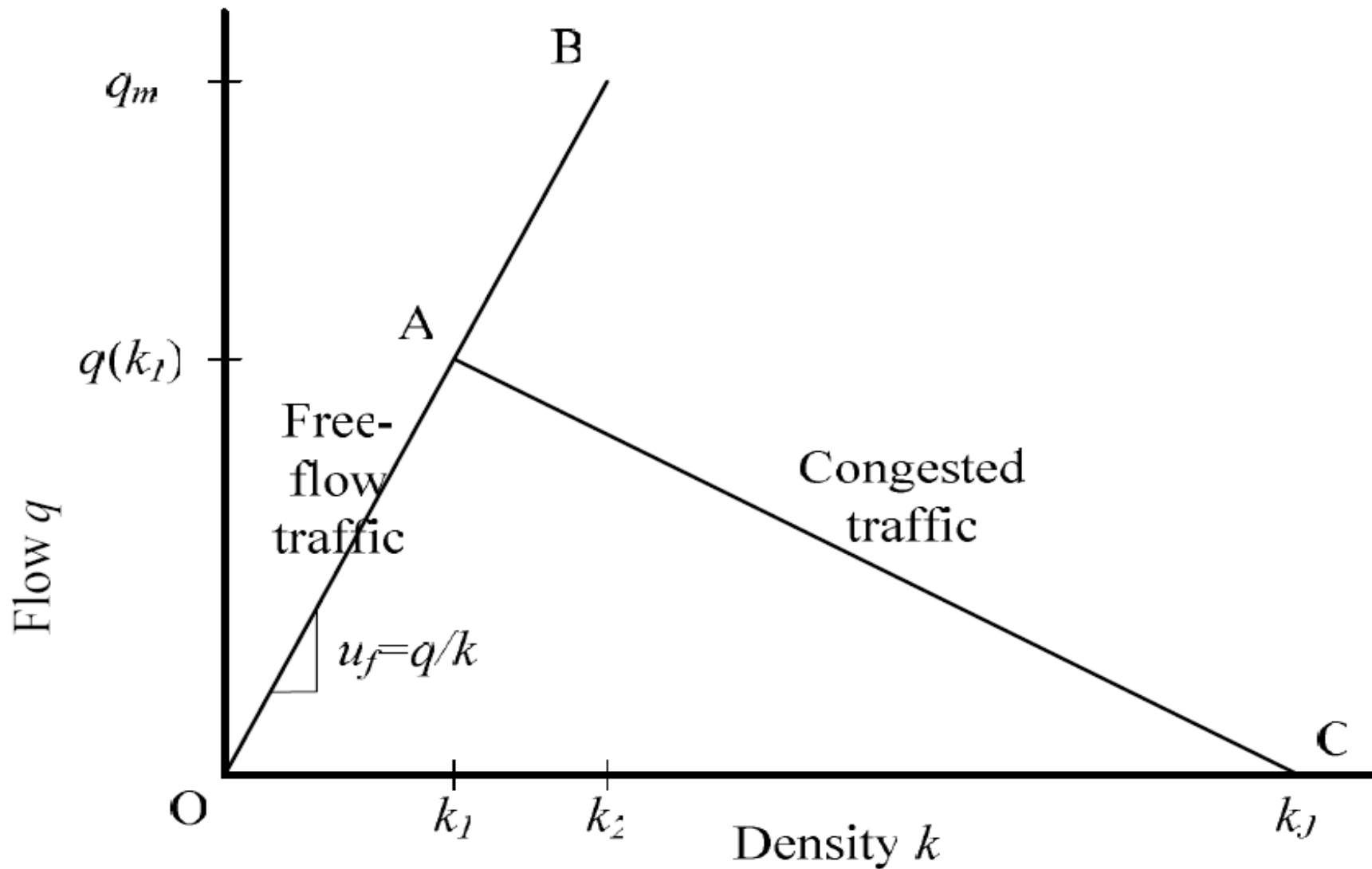
# Objectives

- What about estimating the network condition without bothering neighbors?
- If there is such a method, what would it be?
- Road traffic theories may help us find such a method!

# Traffic theory

- Flow: the number of vehicles that pass an observer per unit time:  $q$
- Density: the number of vehicles per unit distance:  $k$
- Speed: the distance a vehicle travels per unit time:  $u$
- Free-flow traffic speed:  $u_f$

# Traffic theory



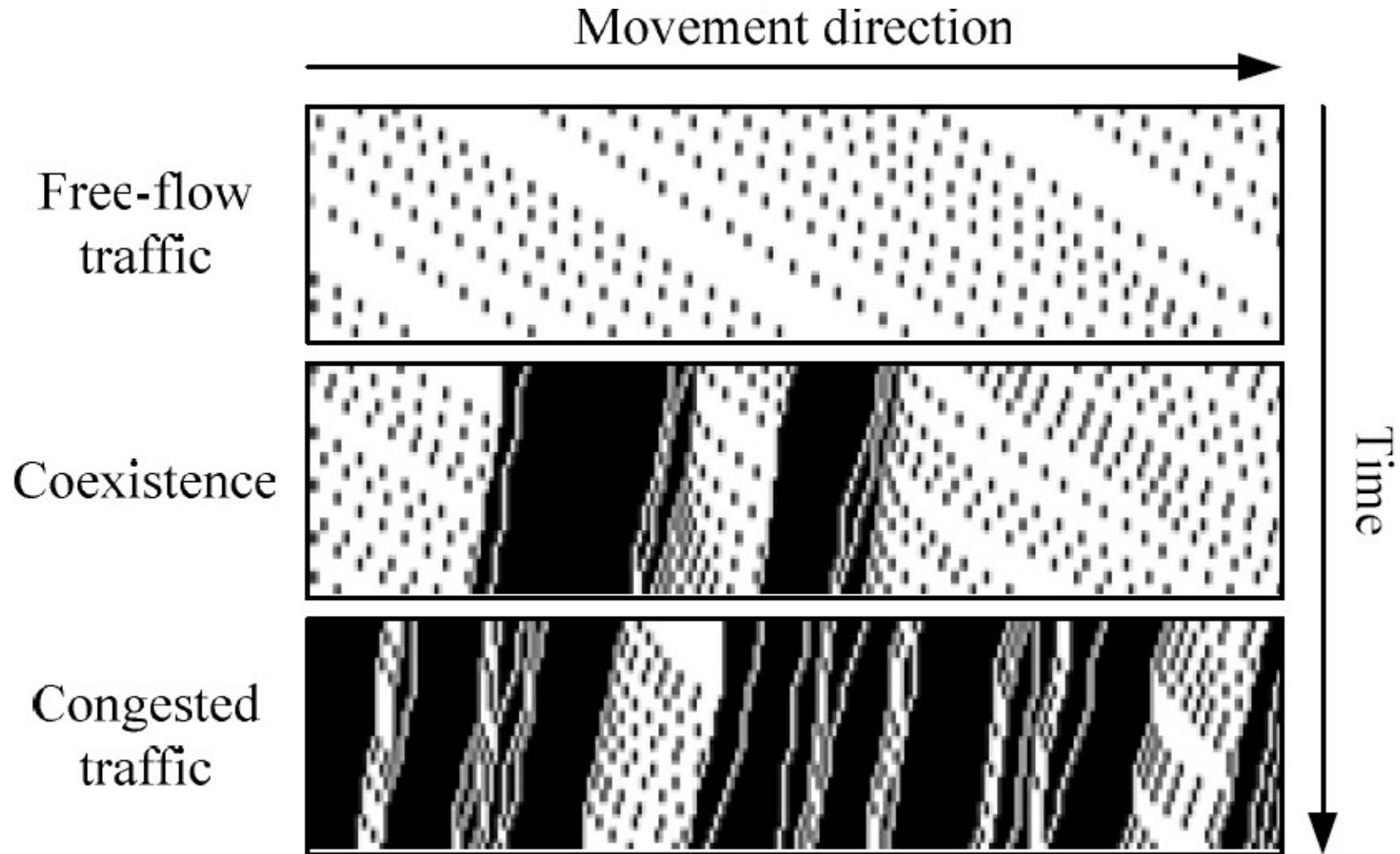


# Speed-Density Relationship

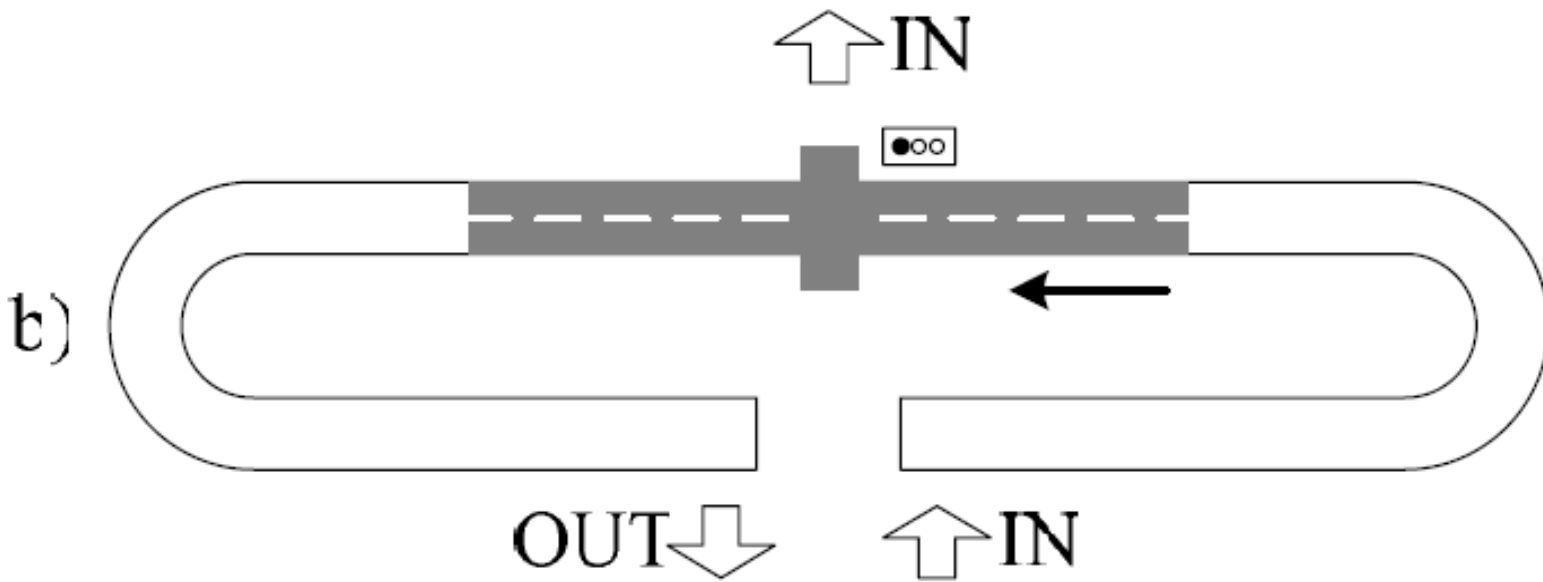
- Sensitivity of the vehicle interaction:  $\lambda$
- Max. vehicle density:  $k_j$
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$$u = \lambda \left( \frac{1}{k} - \frac{1}{k_j} \right)$$

# Traffic jams and phase transition



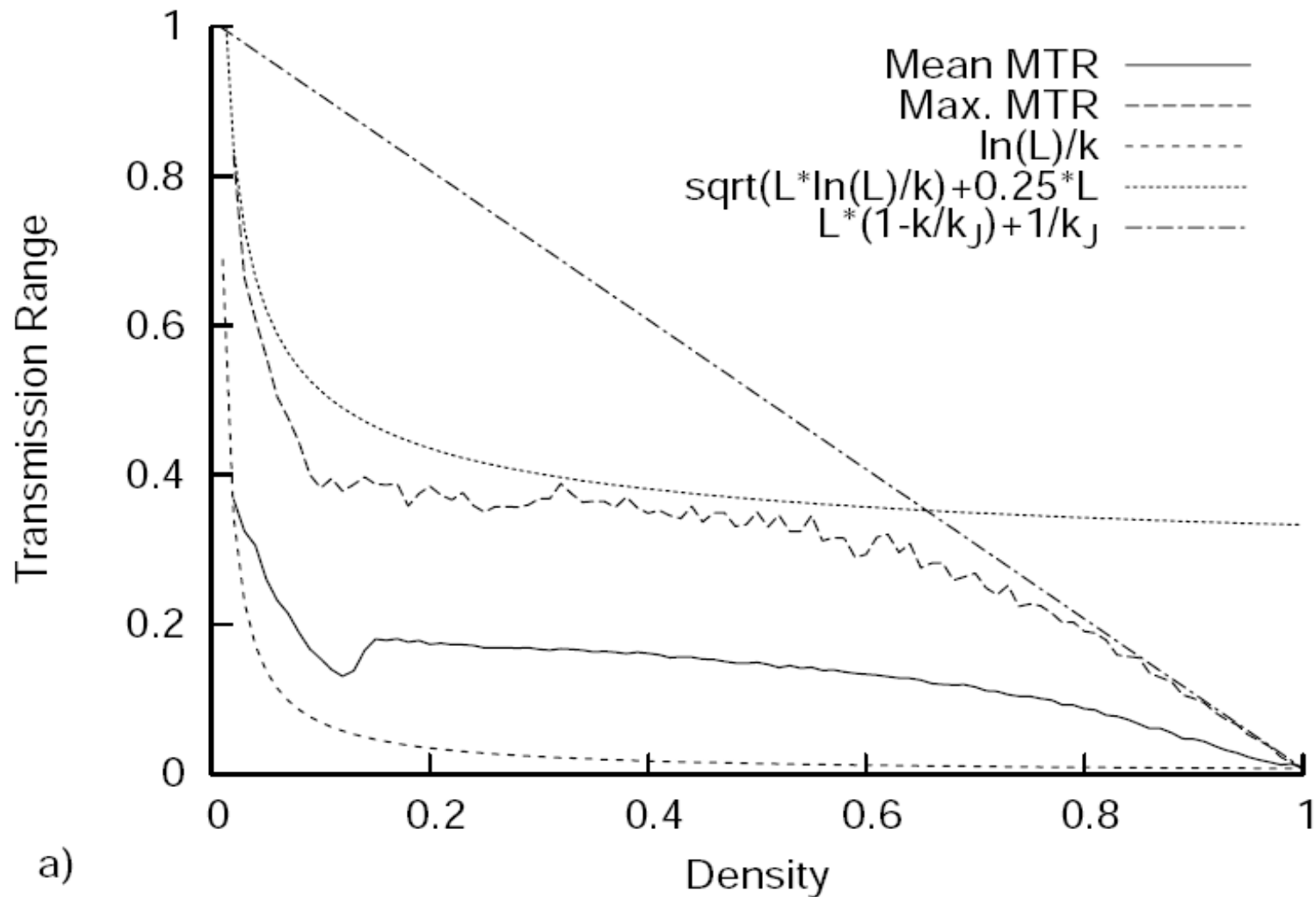
# Vehicle Network Simulation



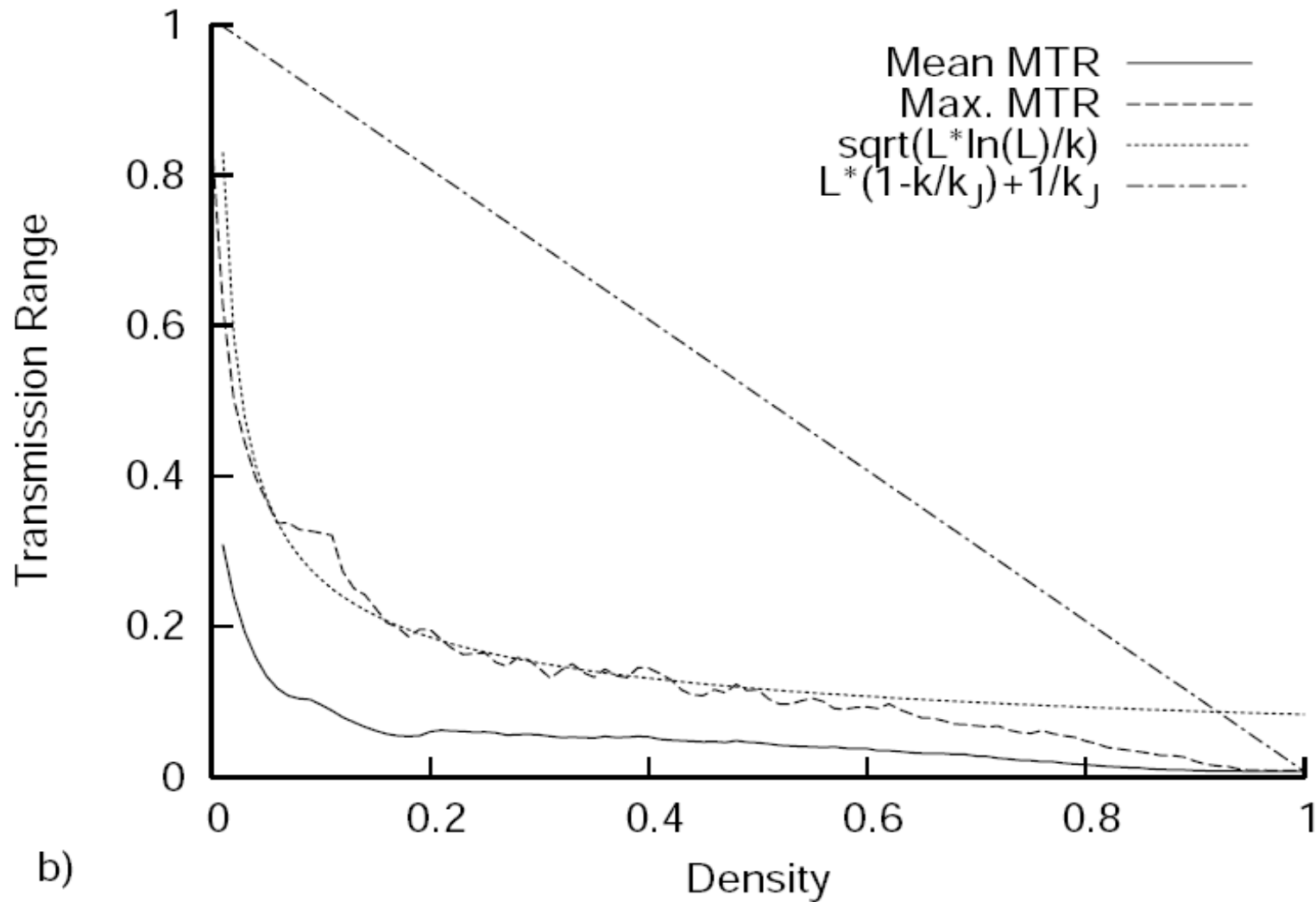
# Metrics

- MTR: Minimum transmission range to provide each vehicle with a full connectivity
- MTR is measured at each simulation time
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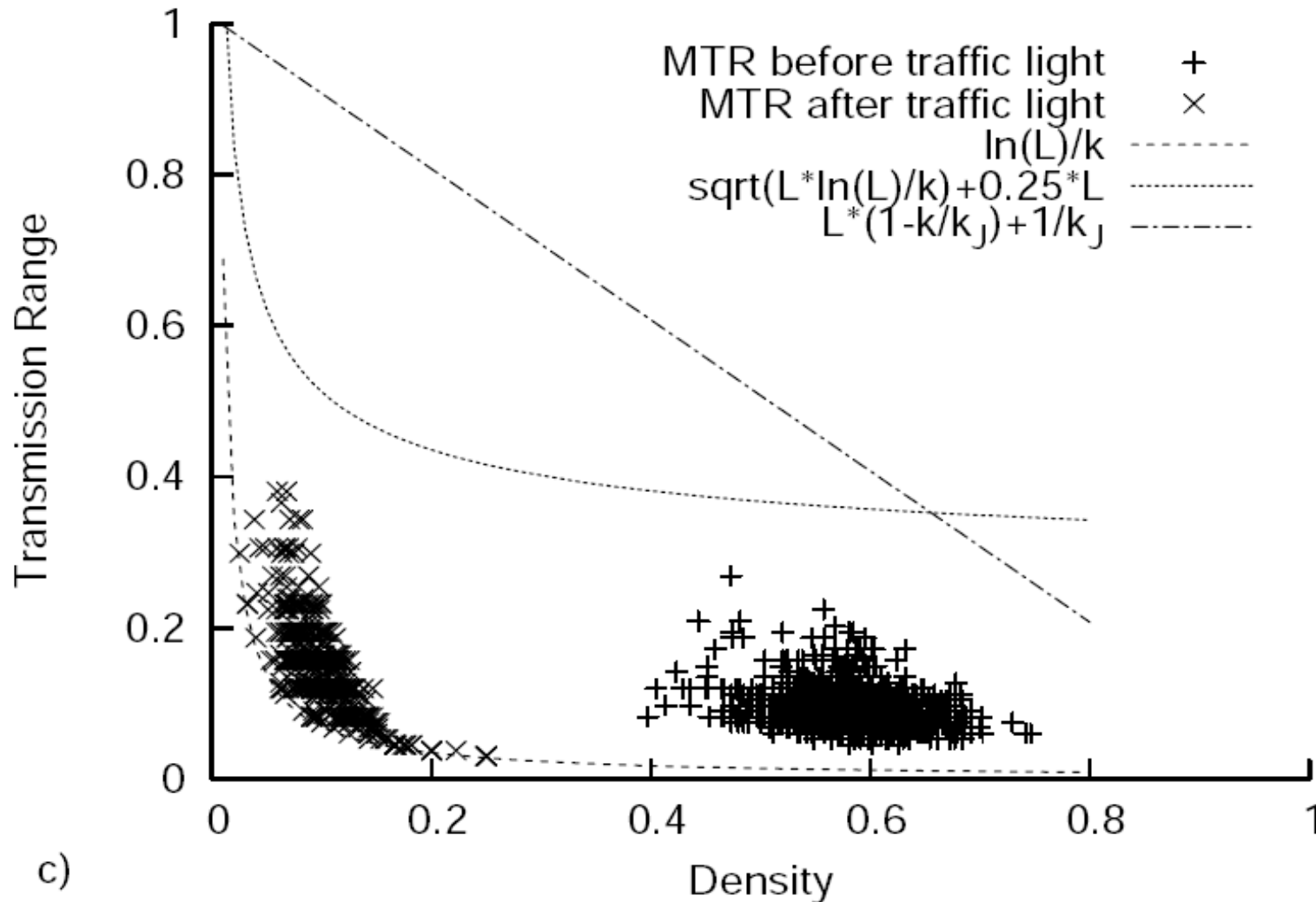
# Simulation results, 1 lane



# Simulation results, 3 lanes



# Simulation results, traffic light



# Density estimation

$$u = f(k)$$

$$u = u_f (1 - f_s)^{n+1}$$

$$f_s = T_s / T$$

$$k' = [u' / \lambda' + 1]^{-1}$$

where  $k' = k / k_J$ ,  $u' = u / u_f$  and  $\lambda' = \lambda / (u_f k_J)$ .

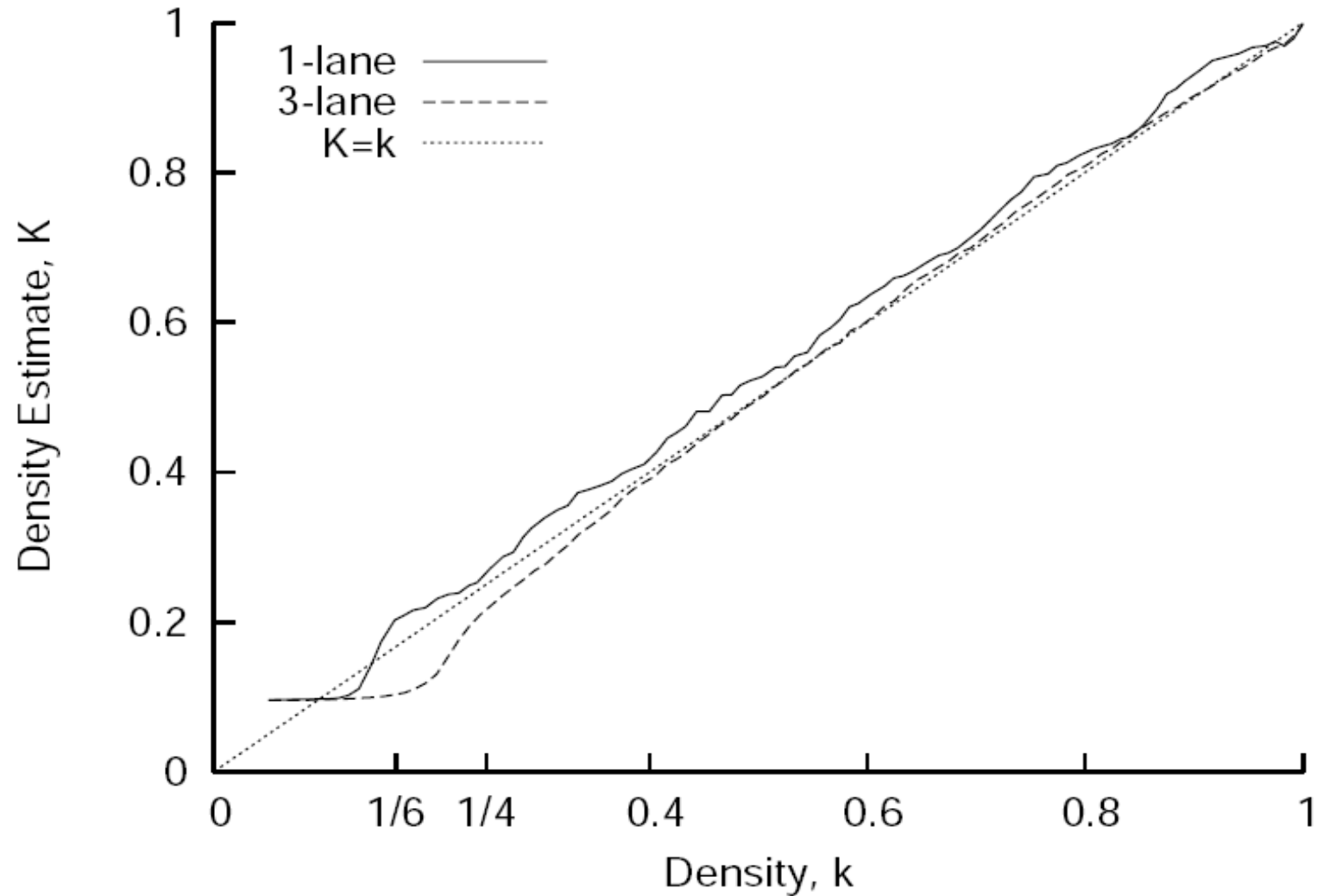


# Density estimation

$$u' = (1 - T_s / T)^{n+1}$$

$$K = \left[ (1 - T_s / T)^{n+1} / \lambda' + 1 \right]^{-1}$$

# Evaluation



# Dynamic Transmission Range Algorithm

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- $a$  is a constant
- $MR$  is the maximum transmission range

INPUT: fraction time stopped,  $T_s/T$

OUTPUT: transmission range,  $TR$

$K = \text{estimate\_K}(T_s/T)$

**if**  $T_s/T == 0$  then

$TR = MR$

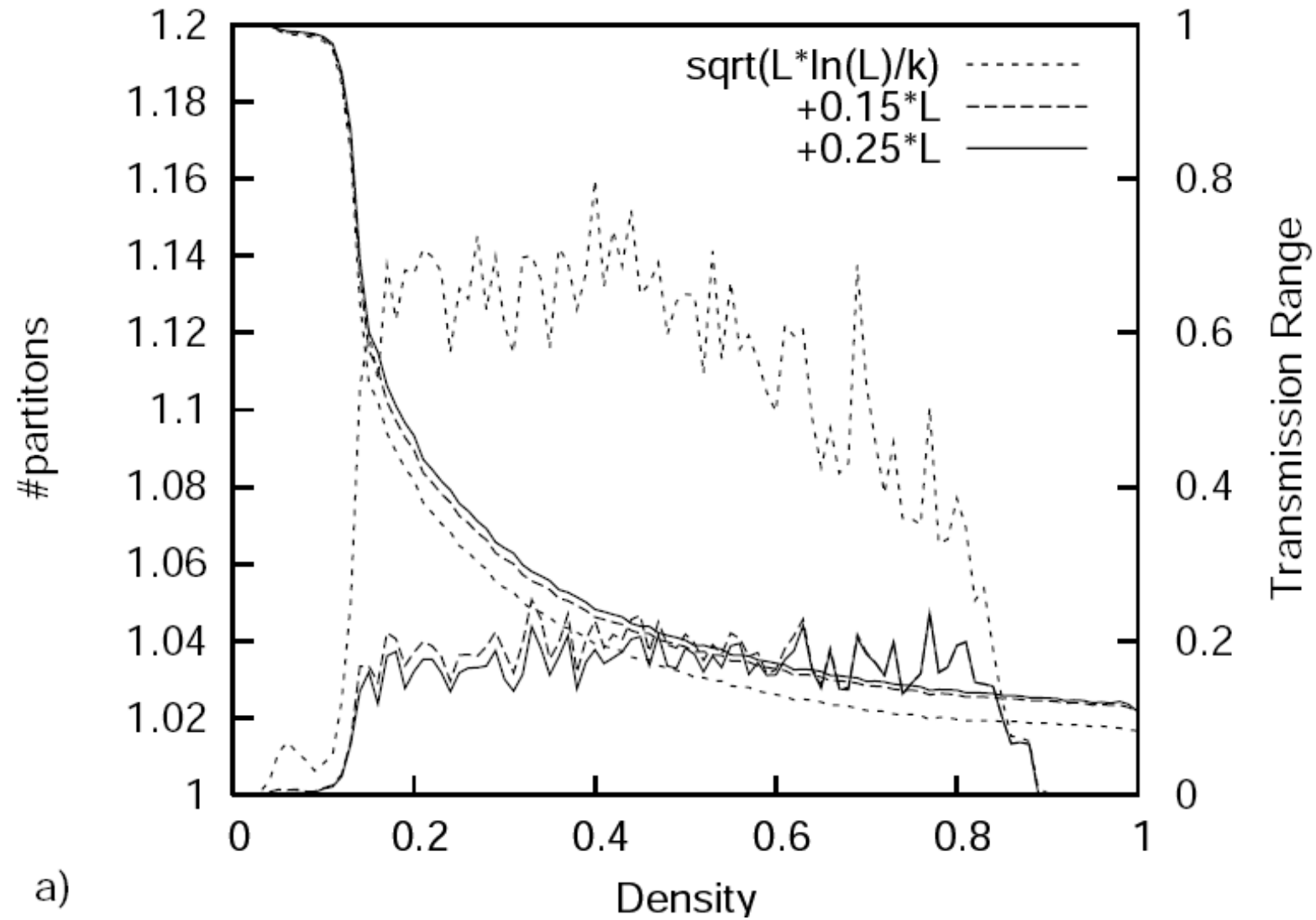
**else**

$TR = \min(MR * (1 - K), \sqrt{MR * \ln(MR) / K + a * MR})$

**end**

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# Performance evaluation, 1 lane



# Performance evaluation, 3 lanes

