Channel Assignment and Channel Hopping in IEEE 802.11

## Operating Channels for 802.11b

Europe (ETSI)


US (FCC)/Canada (IC)


# Operating channels for 802.11a / US U-NII 



SSCH: Slotted Seeded Channel Hopping for Capacity Improvement in IEEE 802.11 Ad-Hoc Wireless Networks

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## Questions

- How to take advantage of channelization in multihop networks?
- Challenge:
- Sender and receiver have to share a channel $\rightarrow$ all nodes on a multihop path use the same channel


## Two Approaches

- Using multiple radios
- Using SSCH


## SSCH

- Goal: Extend the benefits of channelization to ad-hoc networks
- SSCH (Slotted Seeded Channel Hopping)
- Improve capacity in ad-hoc wireless multihop networks
- Use a single radio
- Do not use dedicated control channel
- Do not require changes to 802.11


## SSCH - Overview

- SSCH divides the time into equal sized slots and switches each radio across multiple orthogonal channels on the boundary of slots in a distributed manner
- Main Aspects of SSCH
- Channel Scheduling
- Self-computation of tentative schedule
- Communication of schedules
- Synchronization with other nodes
- Packet Scheduling within a slot


## SSCH - Desired Properties

- No Logical Partition: Ensure all nodes come into contact occasionally so that they can communicate their tentative schedule
- Synchronization: Allow nodes that need to communicate to synchronize
- De-synchronization: Infrequently overlap between nodes with no communication


## Channel Scheduling -Self-Computation

- Each node use (channel, seed) pairs to represent its tentative schedule for the next slot.
- Seed: [1, number of channels -1]. Initialized randomly.
- Focus on the simple case of using one pair
- Update Rule:
new channel = (old channel + seed $)$ mod (number of channels)

A: Seed $=2$
10
2

1
0
2
10

B: Seed = 10
1
2
0
1 $\square$ 0
1

Example: 3 channels, 2 seeds

## Channel Scheduling Logical Partition

- Are nodes guaranteed to overlap?
- Same channel, same seed (always overlap)
- Same channel, different seed (overlap occasionally)
- Different channel, different seed (overlap occasionally)
- Special case: Nodes may never overlap if they have the same seeds and different channels

| A: Seed $=1$ | 1 | 2 | 0 | 1 | 2 | 0 | 1 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 2 |  |  |  |  |  |  |  |
| B: Seed $=1$ | 0 | 1 | 2 | 0 | 1 | 2 | 0 |$|$

## Channel Scheduling Solution to Logical Partition

- Parity Slot
- Every (number of channels) slots, add a parity slot. In parity slot, the channel number is the seed.
- Do not allow the seed to change until the parity slot


Parity Slot
Parity Slot

# Channel Scheduling Communication of Schedules 

- Each node broadcasts its tentative schedule (represented by the pair) once per slo $\dagger$


## Channel Scheduling Synchronization

- If node $B$ needs to send data to node $A$, it adjusts its (channel, seed) pair to be the same as A.



## Channel Scheduling Channel Congestion

- It is likely various nodes will converge to the same (channel, seed) pair and communicate infrequently after that.



## Channel Scheduling Solution to channel congestion

- De-synchronization
- To identify channel congestion: compare the number of the synchronized nodes and the number of the nodes sending data. Desynchronize when the ratio $>=2$.
- To de-synchronize, simply choose a new (channel, seed) pair for each synchronized and non-sending nodes


## Channel Scheduling Synchronizing with multiple nodes

- Examples
- a sender with multiple receivers
- a forwarding node in a multi-hop network
- Solution: Use multiple seeds per node
- Use one seed to synchronize with one node
- Add a parity slot every cycle ( = number of channels * number of seeds). The channel number of the parity slot is the first seed.
- The first seed is not allowed to change until the parity slot.

Green slots are generated by seed 1
Yellow slots are generated by seed 2

| 1 | 2 | 2 | 1 | 0 | 0 | 1 | 1 | 2 | 2 | 1 | 0 | 0 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |

## Channel Scheduling Partial Synchronization

| Seed | 1 | 2 | 1 | 2 | 1 | 2 | 1 | 2 | 1 | 2 | 1 | 2 | 1 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| A | 1 | 2 | 2 | 1 | 0 | 0 | 1 | 1 | 2 | 2 | 1 | 0 | 0 |
|  | Flow | tart |  |  |  |  |  |  |  |  |  |  |  |
| B | 1 | 2 | 0 | 1 | 2 | 0 | 1 | 1 | 2 | 0 | 1 | 2 | 0 |
| Seed | 2 | 1 | 2 | 2 | 2 | 2 | 2 | 2 | 2 | 2 | 2 | 2 | 2 |
|  |  |  |  | Partial Sync |  |  |  |  |  |  |  |  |  |

Sync the second seed only

## Packet Scheduling - Main Idea

- Send packets to receivers in the same channel and delay sending packets to receivers in other channels


## Packet Scheduling - Basic Scheme

- Within a slot, a node transmits packets in a round robin fashion among all flows
- For a single flow, the packet is transmitted in FIFO order
- Failed transmission causes the relevant flow to be inactive for half a slot. An inactive flow does not participate the transmission unless there are no active flows.


## Packet Scheduling - Absent Destination

- Problem: The destinations are in other channel
- Solution: Retransmission
- Broadcast: 6 transmission
- Unicast: Until successful or the cycle ends
- Question: Can SSCH distinguish
- Destinations in other channels?
- Failure because of bad channel condition or node crash
- Collision


## Evaluation

- Simulate in QualNet
- 802.11a, 54Mbps, 13 orthogonal channels
- Slot switch time $=80 \mu \mathrm{~s}$
- 4 seeds per node, slot duration $=10 \mathrm{~ms}$
- UDP flows: CBR flows of 512 bytes sent every $50 \mu s$ (enough to saturate the channel)


## Evaluation - Throughput (UDP)




Figure 9: Disjoint Flows: The per-flow throughput on increasing the number of flows.

Figure 11: Non-disjoint Flows: The per-flow throughput on increasing the number of flows.

## Evaluation - Multi-hop Mobile Networks


$\begin{array}{ll}\rightarrow-802.11 \text { Throughput } & \rightarrow=\text { SSCH Throughput } \\ \rightarrow-802.11 \text { \# Hops } & \rightarrow \text { SSCH \# Hops }\end{array}$
$\rightarrow$ 802.11 \# Hops $\quad$ - SSCH \# Hops

Figure 18: Dense Multi-hop Mobile Network: The per-flow throughput and the average route length for 10 flows in a 100 node network in a $200 \mathrm{~m} \times 200 \mathrm{~m}$ area, using DSR over both SSCH and IEEE 802.11a.


Figure 19: Sparse Multi-hop Mobile Network: The per-flow throughput and the average route length for 10 flows in a 100 node network in a $300 \mathrm{~m} \times 300 \mathrm{~m}$ area, using DSR over both SSCH and IEEE 802.11a.

## Future Work

- Implementation over actual hardware
- Interaction with proactive routing protocols
- Interoperability with non-SSCH nodes
- Interaction with auto-rate adaptation scheme
- Interaction with TCP
- Study power consumption


# Distributed Topology Control for Power Efficient Operation in Multihop Wireless Ad Hoc Networks 

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## Evaluation - Broadcas $\dagger$



Figure 17: Impact of SSCH on Unmodified MANET Routing Protocols: The average time to discover a route and the average route length for 10 randomly chosen routes in a 100 node network using DSR over SSCH.

## Introduction and Motivation

- Network lifetime limited by battery power
- Two choices
- Increase battery power
- Energy-efficient algorithms


## Goal

- Minimize transmission power while maintaining network connectivity
- Fully distributed algorithm
- Use only local information
- Simple to execute (feasible for sensors to run)


## Cone-based Algorithm

- Cone-based topology control algorithm
- Designed for multihop wireless ad hoc networks in 2-D
- Phase 1
- Neighbor discovery process
- Phase 2
- Redundant edge removal without disconnecting networks


## Phase 1

- Each node u beacons with increasing power $p$, starting from min power
- If node u discovers a new neighbor v, put v into N(u)
- Stop when for any cone with angle $\alpha$, u has least one neighbor $v$ or $u$ hits max power
- To ensure symmetry
- If node $u$ puts $v$ in its neighbor set, then node $v$ also puts $u$ in its neighbor set


## Phase 2

- Two nodes $v, w$
- $v, w$ in $N(u)$ and $w$ in $N(v)$
$-p(u, v) \leq p(u, w)$
$-p(u, v)+p(v, w) \leq p(u, w)$
- Remove w from $N(U)$ (and u from $N(w)$ )


## Phase 2 (Cont.)

- Two nodes $v, w$
- $v, w$ in $N(u)$ and $w$ in $N(v)$
$-p(u, v) \leq p(u, w)$
- $p(u, v)+p(v, w) \leq q^{*} p(u, w)$ where $q \geq 1$
- Remove $w$ from $N(U)$ (and u from $N(w)$ )


## Phase 2 (Cont.)



Which edge should be removed to minimize power usage?

## Phase 2 (Cont.)


$u$ transmitting to $v$
$30<35$
remove edge $u, v$

## Phase 1

- Each node u beacons with growing power $p$
- If node $u$ discovers a new neighbor $v$, put $v$ into N(u)
- Stop when for any cone with angle $\alpha, u$ has least one neighbor v or u hits max power
- Question: what is largest $\alpha$ that preserves network connectivity?


## Main Resul $\dagger$

- Let $G^{\prime}$ be the connectivity graph when each node uses max power
- Let $G$ be the graph after applying phase 1 with $\alpha \leq 2 \pi / 3$
- If $G^{\prime}$ is connected $\rightarrow G$ is connected


## Simulation and Results

- 100 nodes
- Placed randomly in 1500 by 1500 rectangle
- Two-ray propagation model for terrestrial communications


## Simulation and Results



## Simulation and Results


(a) Phase 1 Only $\alpha=2 \pi / 3$

(b) Phase 1 Only $\alpha=\pi / 2$

## Simulation and Results


(c) Cone Based $\alpha=2 \pi / 3$

(d) Cone Based $\alpha=\pi / 2$

## Simulation and Results



Fig. 5. Network lifetime

## Simulation and Results



Fig. 6. Average node degree over time

## Simulation and Results

|  | Phase 1 Only |  | Cone Based |  | R\&M [3] | Max Power |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
| Average | $\alpha=2 \pi / 3$ | $\alpha=\pi / 2$ | $\alpha=2 \pi / 3$ | $\alpha=\pi / 2$ |  |  |
| Node Degree | 11.6 | 15.6 | 2.8 | 2.8 | 3.4 | 24.3 |

TABLE I
AVERAGE DEGREE OF DIFFERENT TOPOLOGY CONTROL ALGORITHMS

